# Maximum Stirling Numbers of the Second Kind 

## Abstract

Say an integer n is exceptional if the maximum Stirling number of the second kind $\mathrm{S}(\mathrm{n}, \mathrm{k})$ occurs for two(of necessity consecutive) values of k . We prove that the number of exceptional integers less than or equal to $x$ is $0\left(x^{1 / 2+}\right)$, for any $>0$. We derive a similar result for partitions of $n$ into exactly k integers.

